## A small tour of Prosper facilities ETIEX presentations made easy

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## Introduction

- If you click on my name in the previous page, you should be directed to the Prosper homepage, provided your Acrobat Reader has been properly configured.
- Press on CTRL-L to go to/leave full screen view.
$\square$ Curious? Want to go directly to the last page? Push here.


## Transitions

Prosper offers seven transitions between slides:

- Split;


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- Glitter;
$\square$ Replace.


## Diagrams

A small diagram with some few lines of LTEX.


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## A small clipping effect

## Any practical use for this?

- un etait pas une petite ya. mais une porte dérobée. Elle u en apparence sur la campagne. $S$ l'œil d'un contrôleur paisible on nait une route blanche sans mvr


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## Houscholder formula

The Householder formula below lets you compute $f^{-1}(x)$ for an arbitrary $f$.

$$
\begin{equation*}
x_{k+1} \mapsto \Phi_{n}\left(x_{k}\right)=x_{k}+(n-1) \frac{\left(\frac{1}{f\left(x_{k}\right)}\right)^{n-2}}{\left(\frac{1}{f\left(x_{k}\right)}\right)^{n-1}}+f\left(x_{k}\right)^{n+1} \psi \tag{1}
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where $n \geq 2$ and $\psi$ is an arbitrary function.
Formula (1) gives an iteration of order $n$ converging towards $x_{*}$ such that: $f\left(x_{*}\right)=0$.

## Overlaps of colors

Intersection of sets. First the yellow one ...

## Overlaps of colors

Intersection of sets. First the yellow one ... Then the blue one. Remember how to do that with MS PowerPoint?


## Last slide

This is the last slide. Do you want to go to the second one?

